Ab Initio Calculations on the Structure of Covington's Sesquicarbonate Ion

Noel V. Riggs

Research School of Chemistry, Australian National University, G.P.O. Box 4, Canberra, A.C.T. 2601, Australia

Ab initio calculations suggest that the sesquicarbonate ion, $H_3C_2O_6^-$, may well exist but has a planar structure (6) held together by two hydrogen bonds instead of the 'sandwich' structure (1) or (2) proposed by Covington; the planar structures lies 182 kJ mol⁻¹ below the sum of the energies of bicarbonate ion and (*Z*,*Z*)-carbonic acid.

Covington has suggested¹ that, to explain his potentiometrictitration results, there may exist a sesquicarbonate ion, $H_3C_2O_6^-$, for which he proposed a 'sandwich' structure (1) described as 'two planar carbonate moieties linked by bridging hydrogen bonds to oxygen atoms.'

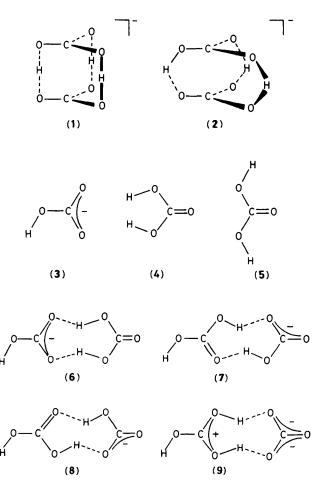
Beginning with a D_{3h} structure of this ilk but in which each hydrogen atom was permitted to determine independently the optimum distances from its two associated oxygen atoms, one in each CO₃ plane, optimization with the STO-3G basis set² led first to a C_{3v} , and finally to a C_1 (near C_s) structure (2); this lay, however, 5.0 kJ mol⁻¹ above the sum of the energies of its components, bicarbonate ion (3) and (*E*,*E*)-carbonic acid (4), the latter of which itself lies 40.6 kJ mol⁻¹ above the (*Z*,*Z*)-form (5).

Reoptimization with the STO-3G and $3-21G^3$ basis sets from this parallel arrangement of the two CO₃ groups but under conditions that permitted the two CO₃ groups to become non-parallel and each CO₃ group to become nonplanar led to a progressively greater distance between the two carbon atoms and a corresponding increase in the angle between the (still near-planar) CO₃ groups. It was clear that, at these levels of theory, the sandwich-type structure suggested¹ by Covington does not represent a stable equilibrium species.

Optimization from this point was continued under conditions that permitted the unique (non-hydrogen-bonded) proton to adopt any preferred position in or out of the adjacent CO_3 plane. With either basis set, the optimized structure was fully coplanar and, on the basis of lengths of the CO and OH bonds, best described as structure (6).†

It was then of interest to determine whether structures such as (7), (8), or (9) may also represent equilibrium structures and, if so, what are their relative energies. Reoptimization beginning near structure (9), has shown that, with either

STO-3G or 3-21G basis sets, structure (6) represents the only energy minimum for the planar sesquicarbonate ion, $H_3C_2O_6^{-}$. With these basis sets, it lies 280–290 kJ mol⁻¹



 $[\]dagger$ C=O lengths are <1.23 Å, whereas C–O lengths are >1.33 Å; O–H lengths are <1.1 Å, whereas O – – – H distances are >1.4 Å.

below the sum of the energies of its constituents, bicarbonate ion (3) and (E,E)-carbonic acid (4) [230-240 kJ mol⁻¹, if the lower-energy (Z,Z)-structure (5) is used as reference instead of (4)]. For comparison the cyclic dimer of methanoic acid lies 63(STO-3G)-112(3-21G) kJ mol⁻¹ below twice the energy of the monomer, (Z)-methanoic acid.

It is, however, known⁴ that diffuse functions, although having little effect on optimized geometries, must be included for accurate evaluation of relative energies of anionic species. We have therefore evaluated the energies of the 3-21Goptimized structures, (3), (4), (5), and (6), with the 3-21+G basis set,⁴ and find that, at this improved level, structure (6) lies 182.3 kJ mol⁻¹ below the sum of the energies of structures (3) and (5). In principle, we should also take account of the basis-set superposition error;⁵ here, however, because of the large distances between first-row atoms in the left- (3) and right-hand (4) constituent fragments of structure (6), this error will lower the above-calculated energy difference only marginally.

It therefore appears that the sesquicarbonate ion, $H_3C_2O_6^-$, may well exist as the planar structure (6), thermodynamically stable with respect to its components, bicar-

bonate ion (3) and carbonic acid, (4) or (5). This result, of course, takes no account of other thermodynamics or of dynamics in the carbon dioxide-water system.

The above calculations were made with a locally-modified⁶ version of the Gaussian 82 series of programs.⁷ Detailed results, including those for methanoic acid and its dimer, will be published elsewhere.

Received, 29th August 1986; Com. 1241

References

- 1 A. K. Covington, Chem. Soc. Rev., 1985, 14, 265.
- 2 W. J. Hehre, R. F. Stewart, and J. A. Pople, J. Chem. Phys., 1969, 51, 2657.
- 3 J. S. Binkley, J. A. Pople, and W. J. Hehre, J. Am. Chem. Soc., 1980, 102, 939.
- 4 T. Clark, J. Chandrasekhar, G. W. Spitznagel, and P. v. R. Schleyer, J. Comput. Chem., 1983, 4, 294.
- 5 S. F. Boys and F. Bernardi, Mol. Phys., 1970, 19, 533.
- 6 J. Baker, R. H. Nobes, and D. Poppinger, unpublished data.
- 7 J. S. Binkley, M. J. Frisch, D. J. DeFrees, K. Raghavachari, H. B. Schlegel, E. M. Fluder, and J. A. Pople, Carnegie-Mellon University, Pittsburgh, PA, 1982.